| C2 | Answers to the Calculator Paper |
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| 1 | $\begin{array}{lc}\text { Mark } 1 \text { know how to find a percentage increase } & 100+10=110 \%=1.1 \\ \text { Mark } 2 \text { use this answer to find value over four years } & 50 \times 1.1^{6} \\ \text { Mark } 3 \text { calculate the answer } & 88.6 \text { miles }\end{array}$ <br> 2 marks will be given for a percentage decrease $50 \times 0.9^{6}=26.6$ miles |
| 2 | Mark 1 correct bracket with square $(x+4)^{2}$ <br> Mark 2 completed square $(\boldsymbol{x}+\mathbf{4})^{2}-\mathbf{5}$ |
| 3 | Mark find 85\% of the volume of Earth. $0.85 \times 1.1 \times 10^{12}$ <br> Mark 2 give your answer in the correct form. $9.35 \times 10^{11}=\mathbf{9 . 4} \times \mathbf{1 0}^{\mathbf{1 1}}$ |
| 4 | Mark 1 correct fraction for the sector $\frac{54}{360}$ <br> Mark 2 substitute into the formula for sector area Area $=\frac{54}{360} \times \pi \times 7.3^{2}$ <br> Mark 3 answer Area $=\mathbf{2 5 . 1 1}\left(\mathbf{c m}^{2}\right)$ <br> If you find the arc length using the correct fraction and radius then you get 2 marks  |
| 5 | Mark 1 factorise <br> Mark 2 solve for two answers $\begin{aligned} & (2 x+5)(x-3)=0 \\ & x=-\frac{5}{2}, x=3 \end{aligned}$ |
| 6 | Mark 1 find the mean $\bar{x}=\frac{156}{6}=26$ <br> Mark 2 complete the table of values for either formula <br> Mark 3 substitute into the correct formulae $s=\sqrt{\frac{338}{6-1}}$ $s=\sqrt{\frac{4394-\frac{156^{2}}{6}}{6-1}}$ <br> Mark 4 calculate the standard deviation $\quad \boldsymbol{s}=\mathbf{8 . 2 2}$ <br> Mark 5 compare the mean "On average the rainfall was higher in the spring of 2021" Mark 6 compare the standard deviation <br> "The rainfall was more consistent in in the spring of 2021 (less varied)" |


| 7 | Radius of the sphere and the cylinder is 3.25 cm . Height of the cylinder is $3 \times 6.5=19.5$ <br> Mark 1 substitute into the formula for a sphere <br> Mark 2 calculate volume of 3 spheres <br> Mark 3 substitution into the formula for a cylinder <br> Mark 4 calculate volume $\begin{aligned} & V_{\text {sphere }}=\frac{4}{3} \times \pi \times 3.25^{3} \\ & V=3 \times 143.7933 . .=431.3799 \ldots \\ & V_{\text {cylinder }}=\pi \times 3.25^{2} \times(6.5 \times 3) \\ & V_{\text {cylinder }}=647.0699 \ldots \end{aligned}$ <br> Mark 5 know to subtract to find the empty space $V=V_{\text {cylinder }}-3 \times V_{\text {sphere }}, V=647.0699-431.3799=215.6899 \ldots$ <br> Mark 6 answer with units <br> Volume is $215.7 \mathrm{~cm}^{3}$ <br> Full marks will be given for a correct answer of $216 \mathrm{~cm}^{3}$ if all working is shown. |
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| 8 | Mark 1 correct substitution into the quadratic formula <br> Mark 2 evaluate discriminant $\begin{gathered} x=\frac{-(-2) \pm \sqrt{(-2)^{2}-4 \times 1 \times(-5)}}{2 \times 1} \\ b^{2}-4 a c=24 \end{gathered}$ <br> Mark 3 calculate both roots correct to one decimal place $x=3.449488 \ldots \text { and } x=-1.44948 \ldots \text { so } x=3.4 \text { and }-1.4$ |
| 9 | Mark $1 \& 2$ coordinates of the turning point $(\mathbf{5 , 1 0 )}$ <br> Mark 3 equation of the axis of symmetry $\boldsymbol{x}=\mathbf{5}$ |
| 10 | Mark 1 Recognise right angled triangle <br> Mark 2 consistent statement of Pythagoras <br> Mark 3 calculate a value for the missing side <br> Mark 4 calculate the height $\begin{aligned} & x^{2}=8^{2}-6^{2} \\ & x=5.3 \\ & 8+5.3=\mathbf{1 3 . 3} \mathbf{~ c m} \end{aligned}$ <br> 2 marks can be given for $x^{2}=8^{2}+6^{2}, x=10$ so height is 18 cm <br> 2 marks can be given for $x^{2}=12^{2}-8^{2}, x=8.9$ so width is 16.9 cm |
| 11 | Mark 1 rearrange equation of straight line to $y=m x+c$ $y=\frac{3}{5} x-2$ <br> Mark 2 identify the gradient of the straight line $\boldsymbol{m}=\frac{3}{5}$ <br> Mark 3 know that $x=0$ so $5 y=-10, y=-2$ $(\mathbf{0},-\mathbf{2})$ |

