

2008 Mathematics

Standard Grade Credit

Finalised Marking Instructions

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Special Instructions

1 The main principle in marking scripts is to give credit for the skills which have been demonstrated. Failure to have the correct method may not preclude a pupil gaining credit for the calculations involved or for the communication of the answer.

Care should be taken to ensure that the mark for any question or part question is entered in the correct column, as indicated by the horizontal line.

Where a candidate has scored zero marks for any question attempted, "0" should be shown against the answer in the appropriate column.

It is of great importance that the utmost care should be exercised in adding up the marks. Where appropriate, all summations for totals and grand totals must be carefully checked.

- 2 The answer to one part, correct **or incorrect** must be accepted as a basis for subsequent dependent parts of a question. Full marks in the dependent part is possible if it is of equivalent difficulty.
- 3 Do not penalise insignificant errors. An insignificant error is one which is significantly below the level of attainment being assessed.
 - eg An error in the calculation of 16 + 15 would not be penalised at Credit Level.
- 4 Working after a correct answer should **only** be taken into account if it provides **firm** evidence that the requirements of the question have not been met.
- 5 In certain cases an error will ease subsequent working. **Full** credit cannot be given for this subsequent work but **partial** credit may be given.
- 6 Accept answers arrived at by inspection or mentally, where it is possible for the answer to have been so obtained.
- 7 Do not penalise omission or misuse of units unless marks have been specifically allocated to units.

8 A wrong answer without working receives no credit unless specifically mentioned in the marking scheme.

The rubric on the outside of the Papers emphasises that working must be shown. In general markers will only be able to give credit to partial answers if working is shown. However there may be a few questions where partially correct answers unsupported by working can still be given some credit. **Any such instances will be stated in the marking scheme.**

9 Acceptable alternative methods of solution can only be given the marks specified, ie a more sophisticated method cannot be given more marks.

Note that for some questions a method will be specified.

- 10 In general do not penalise the same error twice in the one question.
- 11 Accept legitimate variations in numerical/algebraic questions.
- 12 Do not penalise bad form eg sinx⁰ = $0.5 = 30^{\circ}$.
- 13 A transcription error is not normally penalised except where the question has been simplified as a result.

2008 Mathematics SG – Credit Level – Paper 1

Marking Instructions

Award marks in whole numbers only

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
1	 Ans: 5.8 knowing correct order of operations carrying out both calculations 	 must involve a multiplication followed by a subtraction 5.8 2KU
Notes:		<u> </u>
(i)	for 5.8, with or without working	award $\frac{2}{2}$
(ii)	for 722.1, with or without working	award $\frac{1}{2}$
(iii)	for 18.4 $(24.7 - 0.63 \times 10)$, with or without w	working award $\frac{1}{2}$
(iv)	for 22.81 $(24.7 - 0.63 \times 3)$, with or without v	working award $\frac{1}{2}$
(v)	for 740.37 (24.7 \times 30 – 0.63), with working	award $\frac{1}{2}$
(vi)	for a final answer of 18.9	award $\frac{0}{2}$

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
2	Ans: $5(x-3)(x+3)$	
	• beginning to factorise	• $5(x^2-9)$
	• factorised fully	• $5(x-3)(x+3)$ 2KU
Notes:		
(i)	the 1 st mark is available for $5(x^2 - 9)$ or $(5x - 9)$	(x+3) or $(x-3)(5x+15)$
(ii)	All 3 factors must be shown together to obtain	n the 2 nd mark

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
3	Ans: $H = \sqrt{\frac{W}{B}}$	
	• beginning to rearrange	• $H^2 = \frac{W}{B}$
	• completed rearrangement	• $H = \sqrt{\frac{W}{B}}$
		2K U
Notes:		
(i)	for $H = \sqrt{\frac{W}{B}}$, with or without working	award $\frac{2}{2}$
(ii)	for $H = \frac{\sqrt{W}}{B}$, with or without working	award $\frac{1}{2}$
(iii)	the 2 nd mark is for the square root of the cand	idate's expression for H^2

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
4	Ans: $y = -2x + 18$	
	• gradient	• -2
	• y-intercept	• 18
	• linear equation	• $y = -2x + 18$ 3KU
Notes:		
(i)	for $y = -2x + 18$, with or without working	award $\frac{3}{3}$
(ii)	for $y = -2x + c$, with or without working	award $\frac{1}{3}$
(iii)	for $y = mx + 18$, with or without working	award $\frac{1}{3}$
(iv)	for an incorrect equation, the 3^{rd} mark can be a gradient and <i>y</i> -intercept are consistent with st	awarded only if both ated values

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
5	Ans: $\frac{3p+5}{p(p+5)}$	
	common denominator	• ${p(p+5)}$ or ${p^2+5p}$
	• simplified numerator	• $\frac{3p+5}{\dots}$ 2KU
Notes: (i)	for wrong simplification beyond the correct as	nswer award $\frac{1}{2}$

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
6 (a)	Ans: $2(x+8)$	
	• expression	• $2(x+8)$ 1KU
(b)	Ans: 0.5 <i>x</i>	
	• expression	• 0.5 <i>x</i> 1KU
(c)	Ans: 12 kilometres per hour	
	• equating the two distances	• $2(x+8) + 0.5x = 46$
	• collecting like terms	• $2.5x = 30$
	• solution	• x = 12 3RE
Notes:		
(i)	for answer of 12 km/h without working	award $\frac{1}{3}$

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
7 (a)	Ans: 5	
	• value	• 5 1KU
(b)	Ans: $x+6$	
	• expression	• <i>x</i> +6 1RE
(c)	Ans: $7x + 7$	
	• dealing with mean	• $\frac{-2x + (x + 5) + 3^{rd} \text{ term}}{3} = 2x + 4$
	• find term	• $7x + 7$ 2RE
Notes:		
(i)	for $7x + 7$, with or without working,	award $\frac{2}{2}$

Question No	Give 1 mark for each •	Ι	llustrations o	f evidence for awar each mark	ding
8 (a)	Ans: (2, 0), (8, 0)				
	• coordinates of Q	•	(2,0)		
	• coordinates of R	•	(8,0)		2KU
Notes:					
(i)	for 2 and 8			award	$\frac{1}{2}$
(ii)	for $(0, 2)$ and $(0, 8)$			award	$\frac{1}{2}$
	Γ	[
(b)	Ans: 25 units				
	• axis of symmetry	•	<i>x</i> = 5		
	• finding height above <i>x</i> axis	•	<i>y</i> = 9		
	• solution	•	25 units		3RE
Notes:					
(i)	for a final answer of 25, with or without work	ing		award	$\frac{3}{3}$
(ii)	for a final answer of 9, with or without workir	ıg		award	$\frac{2}{3}$

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
9	Ans: $m^{\frac{7}{2}}$	
	• correct index	• $m^{\frac{1}{2}}$
	• solution	• $m^{\frac{7}{2}}$
		2K U
Notes:	<u> </u>	

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
10 (a)	Ans: (0, 1)	
	• coordinates of C	• (0,1)
		1KU
Notes:		
(i)	accept an answer of $(y =) 1$	
(b)	Ans: $a = 4$	
	• method	• $16 = a^2$
	• processing	• <i>a</i> = 4 2KU
Notes:	·	·
(i)	for $a = 4$, with or without working	award $\frac{2}{2}$

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
11	Ans: $3\sqrt{2}$	
	• method	• $AC^2 + (\sqrt{32})^2 = (\sqrt{50})^2$
	• solution	• $\sqrt{18}$
	• simplification of a surd	• 3√2 3KU
Notes:		
(i)	for a final answer of $\sqrt{82}$ with working	award $\frac{1}{3}$
(ii)	the 3 rd mark is available for the simplification	n of $\sqrt{18}$, $\sqrt{32}$ or $\sqrt{50}$
(iii)	$\sqrt{18}$ without working cannot be awarded the f	ärst 2 marks

Question No	Give 1 mark for each ●	Illustrations of evidence for awarding each mark
12	Ans: $a = 5, b = -7$	
	• valid strategy	• either $-ax - ax$ or $a^2 + b$
	• processing	• <i>a</i> = 5
	• solution	• <i>b</i> = -7 3KU
Notes:		
(i)	for $a = 5$, with or without working, award the	first two marks

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
13	algebraic method	
	Ans: $x = -3$	17
	• strategy	$\bullet \frac{17+x}{24+x}$
	• processing	• $\frac{17+x}{24+x} = \frac{2}{3}$
	• solution	• <i>x</i> = -3 3RE
	numerical method 1	
	Ans: $x = -3$	
	• strategy	• adding the same number to numerator and denominator
	• processing	• further fractions
	• solution	• $x = -3$ 3RE
	numerical method 2	
	Ans: $x = -3$	
	• strategy	• listing at least 3 fractions equivalent to $\frac{2}{3}$
	• processing	• selecting $\frac{14}{21}$
	• solution	• $x = -3$ 3RE
Notes:		2
(i)	for $x = -3$ without working	award $\frac{2}{3}$
		KU 27 marks

RE 12 marks

[END OF PAPER 1 MARKING INSTRUCTIONS]

2008 Mathematics SG – Credit Level – Paper 2

Marking Instructions

Award marks in whole numbers only

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
1	Ans: 52 900 tonnes	
	• multiplying factor	• 1.08
	• power of 3	• 1.08^3
	• solution (unrounded)	• 52 907.90
	• solution (rounded)	• 52 900 4KU
Notes:		
(i)	for 52 900, with or without working	award $\frac{4}{4}$
(ii)	for 245 000, with or without working $(\times 1.8^3)$	award $\frac{3}{4}$
(iii)	for 32 700, with or without working $(\times 0.92^3)$) award $\frac{3}{4}$
(iv)	for any other final answers, an unrounded solution must be stated to access the 3^{rd} and 4^{th} marks	
(v)	candidates using simple interest may only be awarded the last mark $((3 \times 3360) + 42\ 000 = 52\ 080 \rightarrow 52\ 100)$	

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
2 (a)	Ans: 34, 29	
	• median	• 34
	• mode	• 29 2KU
(b)	Ans: $\frac{11}{30}$	11 or equivalent
	• probability	• $\frac{1}{30}$ or equivalent 1KU
Notes:		
(i)	for median = 29 and mode = 34	award $\frac{1}{2}$

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
3	Ans: £56.25	
	• valid strategy	• 80% = 45
	• processing	• $100\% = \frac{45}{0.8}$
	• solution	• 56.25 3KU
Notes:		
(i)	for £56.25, with or without working	award $\frac{3}{3}$
(ii)	for £37.50 (120% = £45), with working	award $\frac{2}{3}$
(iii)	for £36 (80% of £45), with or without workin	award $\frac{0}{3}$
(iv)	for £54 (120% of £45), with or without worki	award $\frac{0}{3}$
(v)	Caution: Some candidates state $80\% = 45$ but continue as in notes (iii) or (iv). In these cases, the 1 st mark is still available	

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark	
4 (a)	Ans: $x + y = 60$ • equation	• $x + y = 60$ 1KU	
(b)	 Ans: 50x + 20y = 1740 • equation 	• $50x + 20y = 1740$ 1KU	
(c)	 Ans: 18 fifty pence coins evidence of scaling processing value of <i>x</i> 	 20x + 20y = 1200 or equivalent 30x = 540 or equivalent 18 3RE 	
Notes:			
(i)	for 18 without working	award $\frac{0}{3}$	
(ii)	for 18 and 42 verified in both equations	award $\frac{1}{3}$	

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
5 (a)	Ans: √ 65 • method	• $OP^2 = 8^2 + 1^2$
	• solution	• $\sqrt{65}$ or 8.06 2RE
(b)	Ans: $\sqrt{40}$	
	• method	• $PT^2 = \left(\sqrt{65}\right)^2 - 5^2$
	• solution	• $\sqrt{40}$ or 6.32
		2RE
Notes:		
(i)	the wrong form of Pythagoras should not be p part (a)	enalised in part (b), if already penalised in

Question No	Give 1 mark for each ●	Illustrations of evidence for awarding each mark
6	Ans: no, the boat is not beyond the horizon, with numerical comparison	
	• variation statement	• $d \propto \sqrt{h}$
	• variation equation	• $d = k\sqrt{h}$
	• evaluating <i>k</i>	• <i>k</i> = 3.5
	• method to enable comparison	• visible distance = 22.14 or height should be 32.7 or $k_2 = 3.16 \left(\text{from} \frac{20}{\sqrt{40}} \right)$
	• answer and justification	• no, with numerical comparison
		JAL
Notes:		·

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
7	Ans: 5.62 m	
	• method	• BC = 3.3
	• strategy	• use of cosine rule
	• substitution	• $AC^2 = 2.9^2 + 3.3^2 - 2 \times 2.9 \times 3.3 \cos 130^\circ$
	• solution	• 5.62 4 RE
Notes:		
(i)	accept solutions in radians or gradians	
(ii)	for any attempt involving Pythagoras or sin	e rule, only the 1 st mark is available

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark	
8 (a)	Ans: 126.9 m ²		
	• valid strategy	• $\frac{1}{2}ab\sin C$	
	• substitution	• $\frac{1}{2} \times 15 \times 18 \times \sin 70^{\circ}$	
	• solution	• 126.9 3KU	
(i) (i)	(i) evidence for the 1 st mark may be implicit in the substitution		
(b)	Ans: 90°		
	• solution	• 90° 1RE	
Notes:	1		

Question No	Give 1 mark for each •	Illustrations of evid each n	ence for awarding nark
9 (a)	 Ans: 150° solution 	• 150°	1KU
(b)	Ans: 45.8 cm • correct ratio	• <u>150</u> <u>360</u>	$\frac{5}{12}$
	• processing	$\bullet \frac{150}{360} = \frac{120}{2\pi r}$	$\frac{120}{\frac{5}{12}} = 288$
	• processing	• $r = \frac{360}{150} \times \frac{120}{2\pi}$	$r = \frac{288}{2\pi}$
	• solution	• 45.8	45.8 4 RE
Notes:			TAL
(i)	a calculation using πr^2 (which leads to $r = 9$	9.57) cannot be awarded	the 2 nd mark

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
10 (a)	Ans: £152.80	
	• solution	• 152.80 1KU
(b)	Ans: $C = 25d + 0.12m - 24$	
	• starting formula	• 25 <i>d</i>
	• continuation	• 0.12 <i>m</i>
	• formula	• $C = 25d + 0.12m - 24$
		C = 25d + 0.12(m - 200)
		3RE
Notes:		

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
11 (a)	Ans: 21 • answer	• 21 1KU
(b)	Ans: proofforming equationrearranging	• $55 = \frac{1}{2}n(n-1)$ • $n^2 - n - 110 = 0$
		2RE
Notes: (i)	for a solution of $55 = \frac{1}{2}n(n-1)$ $55 = \frac{1}{2}n^{2} - n$ $110 = n^{2} - n$ $n^{2} - n - 110 = 0$	award $\frac{1}{2}$
(c)	 Ans: 11 factorising solving equation selecting valid solution 	 (n+10)(n-11) = 0 -10 and 11 11 3RE
Notes: (i)	for an answer of 11 without working	award $\frac{0}{3}$

Question No	Give 1 mark for each •	Illustrations of evidence for awarding each mark
12 (a)	Ans: 78.7, 258.7	
	• equation	• $\tan x^\circ = 5$
	• first solution	• 78.7
	• second solution	• 258.7 (first solution + 180) 3RE
(i) for answers of 90 or 270, only the 1 st mark is available		
(b)	Ans: 438.7	
	• solution	• 438.7 1RE
Notes:		
(i)	the solution must be consistent with a solution in part (a)	
(ii)	for 450, following from 90, 270 in part (a)	award $\frac{1}{1}$

KU 18 marks RE 33 marks

[END OF PAPER 2 MARKING INSTRUCTIONS]

FinalKU 45TotalsRE 45